

# PICSC Downscaling Workshop

## Presentation on Statistical Downscaling

September 16<sup>th</sup>, 2015, Honolulu, Hawaii

Oliver Elison Timm

Department of Atmospheric and Environmental Sciences, University at Albany

### Primary objective:

Mapping future seasonal mean rainfall changes  
(the average of rain-producing weather events in a season)

Wet season: November-April

Dry season: May-Oct

### Secondary objectives:

Estimating future changes in heavy rain events

Drought-related rainfall characteristics

Compounding effects: high temperatures and dry conditions

## Background

### Research team:

T.W. Giambelluca, H.F. Diaz, M. Takahashi, L. Kaiser, A. Frazier, R. Longman

### First statistical downscaling (Timm and Diaz, 2009):

limited station data, single predictor information (south-north wind)

CMIP3 models (6 objectively selected models from the full ensemble)

### Downscaling heavy rain events (Elison Timm et al. , 2011, 2013):

ENSO/PNA variability connection with heavy rain event frequency

future mean shifts in the ENSO/PNA states (same 6 CMIP3 models)

→ future changes in heavy rain frequency

### Refined heavy rain event analysis and downscaling:

downscaled directly daily weather statistics from the CMIP3 models

### Updated seasonal downscaling and spatial maps:

more stations, CMIP5 ensemble (32 models), multiple predictors

### Studied effects of kona lows on local rainfall

## Statistical Downscaling Model

### Boundary-type conditions:

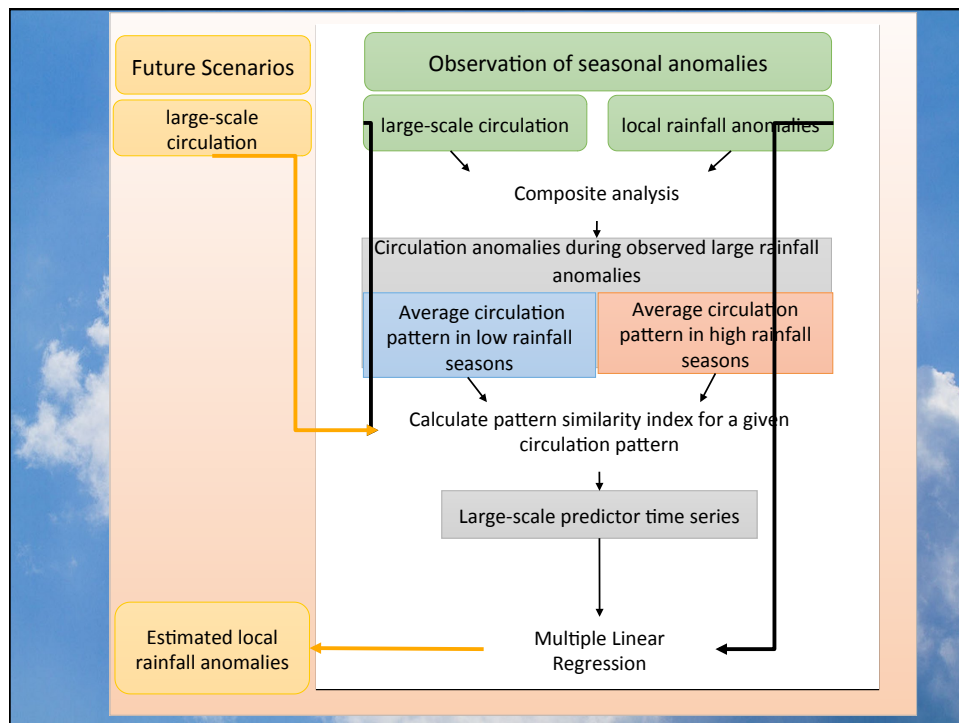
- λ Local station network determines what spatial details can directly be resolved (spatial interpolation after downscaling)
- λ Temporal sample space is limited to observations of 1978-2007:
  - λ → Observations represent positive phase of the Pacific Decadal Oscillation more than the negative phase.
  - λ → bias the SD model parameters (?)

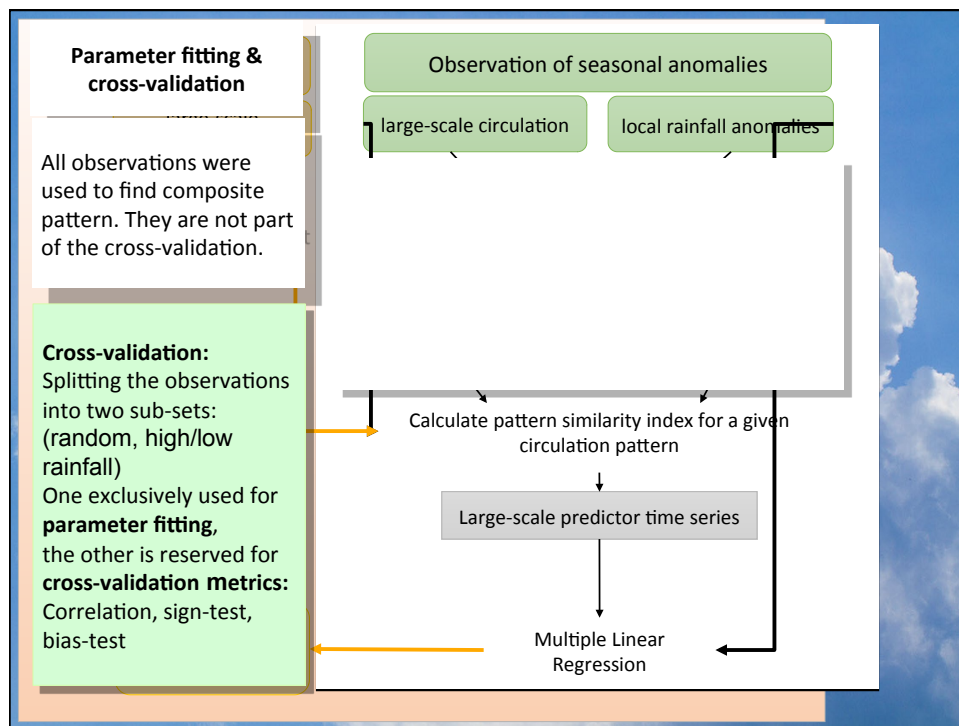
### Spatial scale for projected rainfall scenarios:

- λ First interpolation (gridding): 0.5 minute resolution
- λ Additional maps interpolated to 3km and 250m resolution

### Time period:

- λ 2041-2070, 2071-2099, main target period
- λ Time steps: annual time steps were used in the downscaling

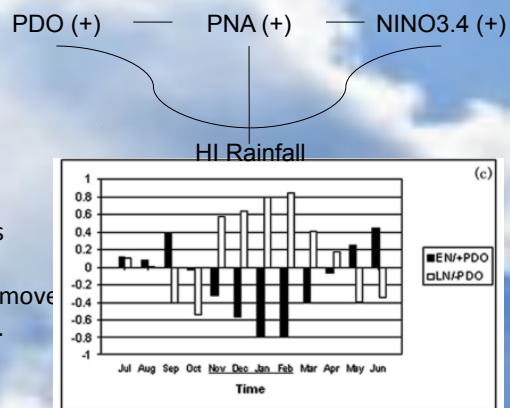




## How are ENSO/PDO and other oceanic processes incorporated?

Their large-scale circulation anomalies are represented in the composite technique and the MLR

**Future change projections:**  
anthropogenically forced shifts in their mean state  
Ensemble mean projections remove most of the internal variability.



## Assumptions of stationary

### **Statistical relations found in the calibration itself remain constant in time**

Results from cross-validation and associated uncertainties/  
confidence are representative in future

### **Consequences if stationarity breaks downs in future:**

Underestimation/overestimation of rainfall anomalies

Even methodically possible change in sign  
(physically this may not be possible, though)

Overestimated confidence in downscaled results.

## How well are synoptic and smaller scale systems reflected in the model and output?

### **Trade wind regimes**

well represented in their effects for windward rainfall  
moderately represented for leeward rainfall impacts

### **Kona weather**

any change in kona weather would likely be underestimated  
in their impacts on rainfall (in particular, leeward and dry  
sites during winter months)

### **Inversion layer**

Intensity and frequency implicitly accounted for  
Not resolved in the SD model: height shifts  
Uncertain, due to non-linear effects on rainfall

## How well are synoptic and smaller scale systems reflected in the model and output?

### **Convective pop-up**

Summer convection, land-sea breeze rain events difficult to represent in the SD downscaling for seasonal mean rainfall  
Little information on uncertainty and bias effects

### **Cyclones**

Not taken into account in SD model,  
uncertain if seasonal mean circulation could provide statistical information to account for cyclone changes indirectly  
(but note the current El-Nino case: indirect cyclone impacts may be captured through the large-scale circulation)

## Identification of parameter sensitivities

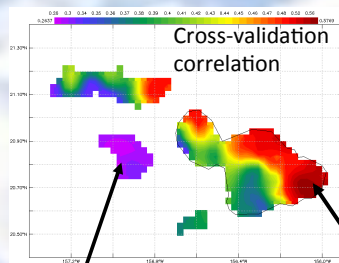
### **How is parameter sensitivity evaluated?**

In the statistical downscaling model parameters are fitted to observations.

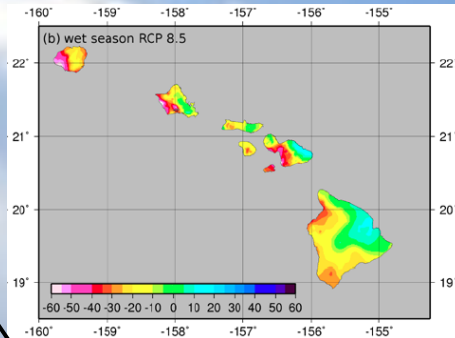
Monte-Carlo methods were used to test the fitted model parameters

Note: Our SD model does not include a parameterization of unresolved smaller scale systems such as trade-wind inversion, convective rain (in dependence on mean-states)

## Primary sources of error



Low correlation score:  
 → Statistical error is large  
 → Other errors of secondary importance



Good cross-validation result:  
 Differences among emissions scenarios  
 primary source of uncertainty

## Effects of ensemble averages or lumping in representing potential future conditions

### Ensemble average:

Reduces internal variability and individual GCM model uncertainty

Natural variability is suppressed

(ENSO, PDO and other modes of variability)

Any 30-year period in future may experience a PDO (+) or (-) phase superposed on the mean change.

→ Uncertain when to expect critical thresholds to be exceeded.

## What are your challenges representing extremes?

Statistical method is adaptable  
 → other target statistics than the average rainfall  
 (e.g. number of heavy rain events)  
 However, problem with extreme downscaling is:  
 extremes are rare events => small sample to fit model  
 parameters  
 extreme weather events require daily model data from  
 GCMs, i.e. weather variability  
 GCMs weather variability less confident  
 Options: derive relationships between local short-duration  
 extreme weather and large-scale monthly-mean circulation?

## Which aspects of the model are the most confident?

### **Timescales:**

Statistical error grows with time (as the anomalies grow in amplitude)  
 Linear assumption best justified for small changes 10%-20% (30%)  
 → 30-50 year outlook (mid 21st century) highest confidence  
 Wet season (winter months Nov-Apr)

### **Spatial scale/location:**

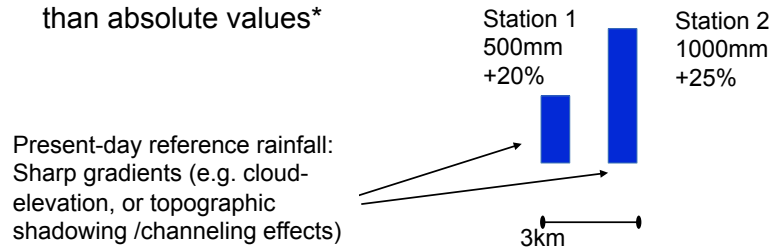
The statistical model projects rainfall anomalies through a linear combination of a few spatial pattern:  
 Higher confidence in the 'island-wide anomaly pattern associated with ENSO, PDO  
 Dipole pattern: more confidence on the windward sides  
 → highest confidence in windward sides of Big Island, Maui, Oahu

## Which aspects of the model are the most confident?

### Downscaled variables (products):

#### highest confidence in the sign

of the seasonal mean rainfall anomalies  
confidence higher in percentage change  
than absolute values\*



## Which aspects of the model are the most uncertain?

### Timescales ('forecast horizon')

Statistical error grows with time as the anomalies grow in amplitude

Linear assumption best justified for small changes 10%-30%

→ end of 21st century lowest confidence in amplitudes

Dry season

Individual years or short-term averages (i.e. decadal averages)

### Process time scales

Extreme events on sub-seasonal time scale: hourly or daily high intensity rainfall\*\*

Synoptic events such as convection, tropical cyclones



## Other issues, concerns, or ideas

### Temperature downscaling progress:

First order 'bias-correction' scheme:

Take from dynamical downscaling the temperature change-elevation dependence

Take a GCM model air temperature anomaly for a given year at sea level (ambient warming over surrounding ocean scale with elevation-dependent factor.

### Questions:

Would this type of information be useful?

Would it make a 'consistent' combination with SD downscaled rainfall scenarios?

## Compounding effects: Temperature-enhanced water stress on plants during dry-spell?

### Conceptual model:

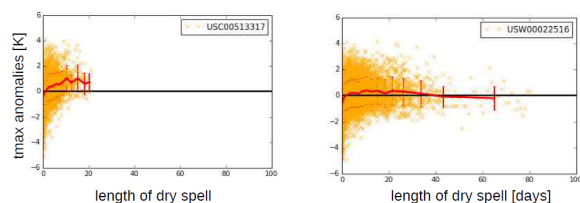
Decrease  
in seasonal rainfall

Increase in  
dry-spell length

Increase in daily  
maximum temp.

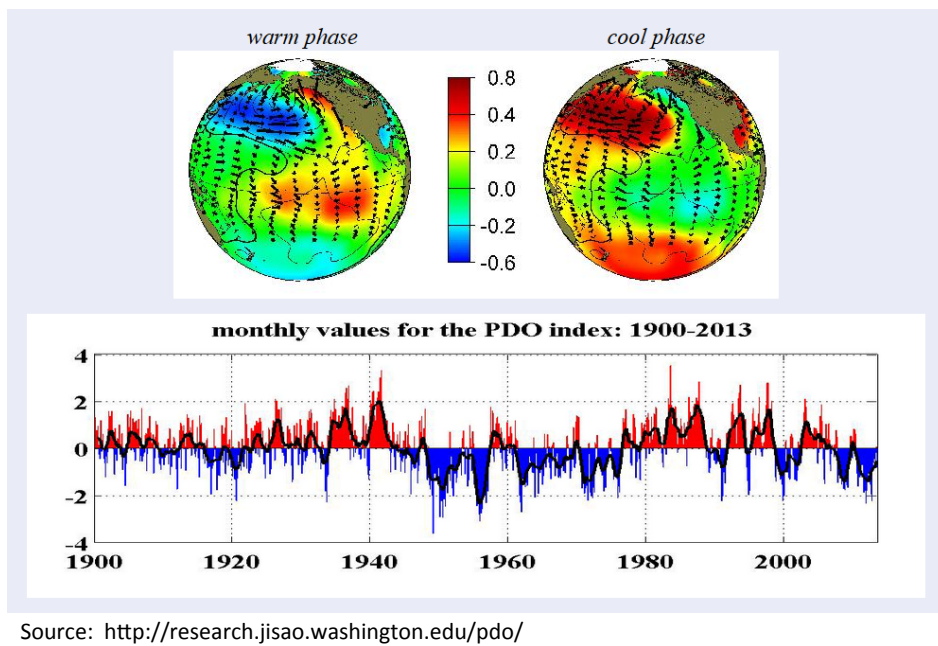
Enhanced water  
vapor deficit

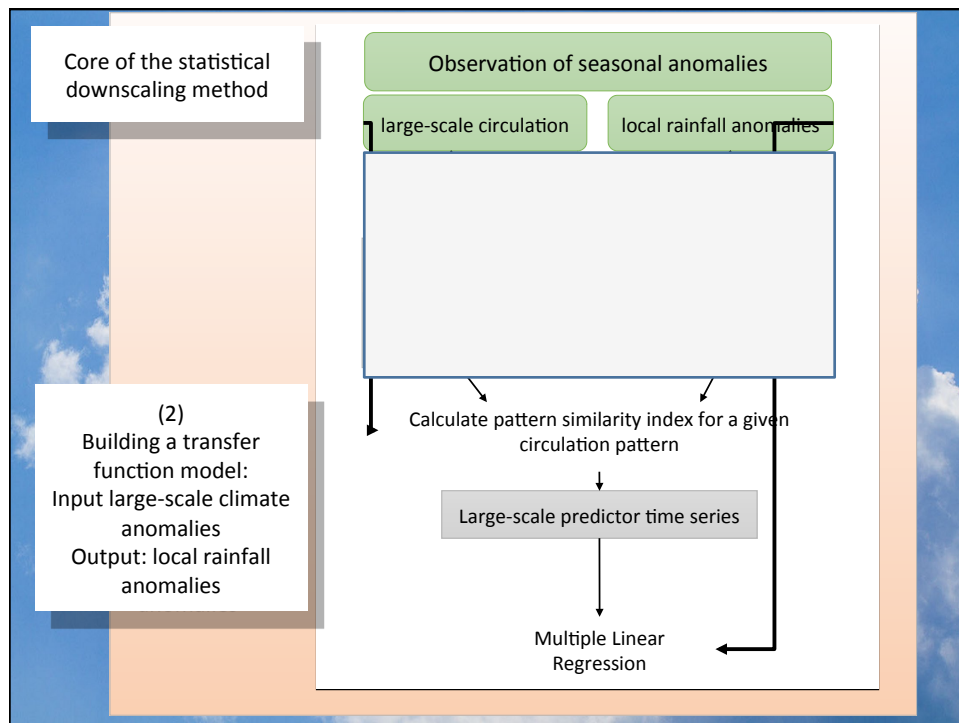
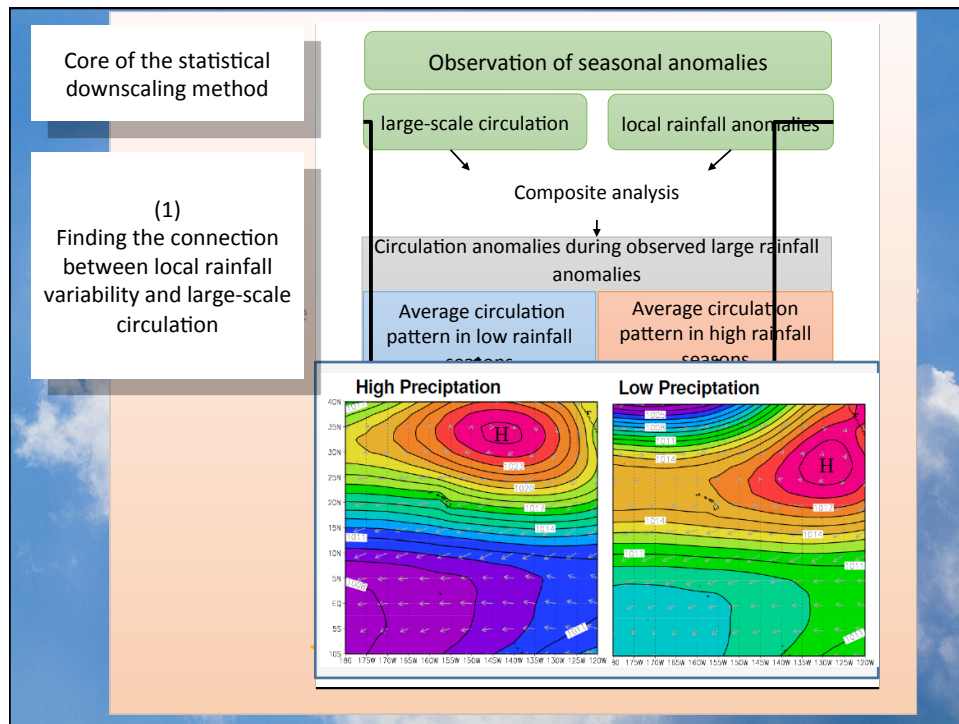
Two example stations:  
Dependence of tmax anomalies  
on dry spell length



**Appendix: Useful additional information for upcoming questions**  
**In discussions or for one-on-one talks during breaks**

**Appendix: Pacific Decadal Oscillation (PDO)**

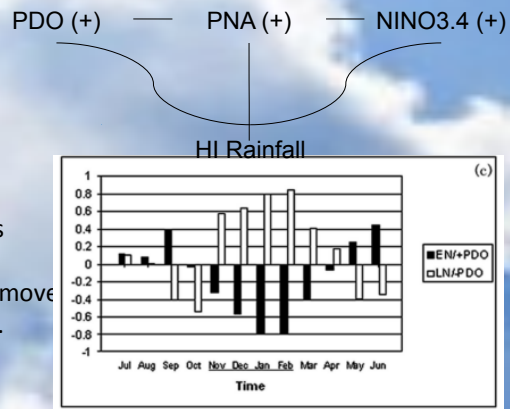




## How are ENSO/PDO and other oceanic processes incorporated?

Their large-scale circulation anomalies are represented in the composite technique and the MLR

**Future change projections:**  
anthropogenically forced shifts in their mean state  
Ensemble mean projections remove most of the internal variability.



## Appendix: Effects of ensemble averaging

### SLP example from Deser et al. 2014, *J. of Climate*

b) Winter Precip and SLP

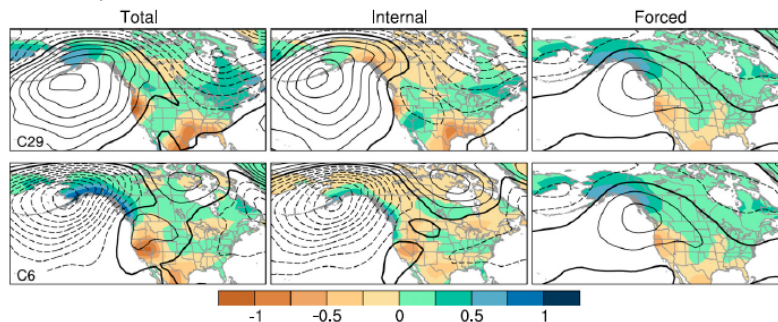
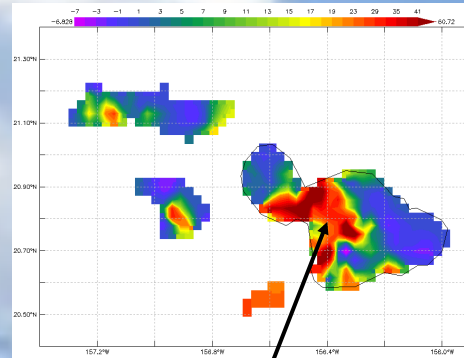


FIG. 10. (left) Total 2010-60 winter trends decomposed into (center) internal and (right) forced components for two contrasting CCSM3 ensemble members (runs 29 and 6) for (a) SAT [color shading:  $^{\circ}\text{C} (51 \text{ yr})^{-1}$ ] and SLP (contours) and (b) precipitation [color shading:  $\text{mm day}^{-1} (51 \text{ yr})^{-1}$ ] and SLP (contours). SLP contour interval is  $1 \text{ hPa} (51 \text{ yr})^{-1}$ , with solid (dashed) contours for positive (negative) values; the zero contour is thickened.

### Appendix: Taking into account multimodel ensemble and internal modes of variability

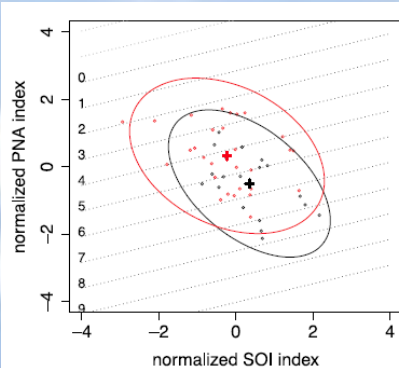
Example:  
Taking 32 CMIP5 RCP8.5 scenarios(wet season)  
and using all individual years 2071-2099

We calculate the percentage of the multi-model and multi-year sample that indicates dryer conditions than in the lowest value in the present-day reference period.



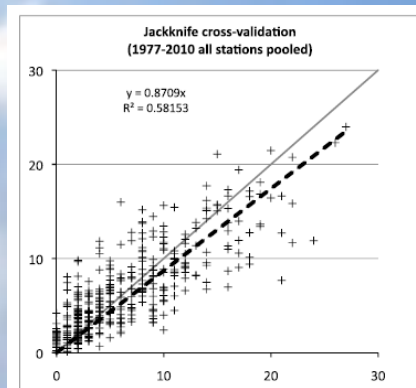
Red: 30-40% of the modelled years are drier than the driest year of 1978-2007.

### Appendix: What are your challenges representing extremes?



**Figure 4.** Phase-space presentation of the tropical and North Pacific atmospheric circulation in the SOI and PNAI subspace for the periods 1958–1976 and 1977–2005. Each

Example: Using ENSO and PNA as predictors  
For the number of heavy rain events



**Figure 6.** Scatter plot of the predicted values from the Jackknife validation (y axis) against the observed number of heavy rain events (x axis). All years (1977–2010) and all stations are plotted.

Example: Validating  
synoptic-weather pattern-based downscaled  
heavy rain events with observed heavy rain  
events during winter seasons

For the case of in-depth discussion  
representing extremes in mean statistics

Some considerations of the mean statistics.

$$\bar{X} = \frac{1}{n} \sum_{i=1}^n X_i$$

$$\bar{X} = \frac{1}{n} \left( \sum_{i=1}^m X_i + \sum_{j=1}^k X_j \right) = \frac{1}{n} (m\bar{X}_{norm} + k\bar{X}_{extr})$$

$$\frac{\bar{X}_{extr} - \bar{X}_{norm}}{\bar{X}_{norm}} \approx \frac{m}{k}$$

$$\frac{\bar{X}_{extr}}{\bar{X}_{norm}} \approx \frac{n}{k} \approx p(E)$$

## PICSC Downscaling Workshop

### Presentation on Statistical Downscaling

Sept 16<sup>th</sup>, 2015, Honolulu, Hawaii

Oliver Elison Timm

- Primary objective:
  - Estimating future seasonal mean rainfall changes: that is the average of rain-producing (and non-producing) weather events in a season.
  - Wet season: November-April
  - Dry season: May-Oct
- Secondary objectives:
  - Estimating future changes in heavy rain events, drought-related rainfall characteristics.

Department of Atmospheric and Environmental Sciences, University at Albany